break occurring at the melting of AgCl. Constants for these straight lines are given in table 4.

	TAB	LE 4		n
Log	m <sub>HCl°(ex)</sub>	$= A/_{T^{\circ}K}$	+	В

	$\text{Log m}_{\text{HCl}^{\circ}(i)}$	ex) /TR		В
	Pressure (bars)	Temp Range °K	A*	
Buffer		673-738	-2330	2.396
Ni + NiO	2000	738-1000	-1160	0.816 2.58
	1000	673-733 733-1000	-2302 $-1136$	0.99
Fe <sub>2</sub> O <sub>3</sub> + Fe <sub>3</sub> O <sub>4</sub>	2000	733-1000 673-738 738-1000 673-733 733-1000	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	1.435 -0.208
10203	1000		$-2245 \\ -1037$	-0.166

<sup>\*</sup> Slopes are those of calculated curves

To facilitate thermodynamic calculations, it is convenient to convert the adjusted molalities of  $HCl^{\circ}(ex)$  of table 4 to fugacities of  $HCl^{\circ}(ex)$  by solving equation (9) for  $f_{HCl}$ :

$$f_{\text{HCl}}^{\text{mixture}} = f_{\text{HCl}^{\circ}(\text{ex})} = \frac{\text{m}^{\circ}_{\text{HCl}(\text{ex})} \cdot \text{P}_{\text{HCl}^{\circ}}^{**} \cdot \gamma_{\text{HCl}^{\circ}}^{**}}{55.5}$$

using  $\gamma_{\rm HCl}$  values from reduced variables charts (Hougen and Watson, 1946) and m° $_{\rm HCl(ex)}$  values from table 4. The results are given in table 5.  $f_{\rm HCl(ex)}$  can be considered a direct calibration of  $f_{\rm HCl}$  in the solution at P and T, regardless of other species present, if the assumption of ideal mixing holds and if the fugacity coefficients used are reliable. The  $f_{\rm HCl(ex)}$  values shown in table 5 are independent of the theoretical  $f_{\rm HCl}$  values of table 1, calculated from thermochemical data.

Table 5 Experimentally derived values of  $f_{\rm HCl\,(ex)}$ 

1	Pressure (bars)	Temp (°K)	f <sub>HC1(ex)</sub> (bars
Buffer			1.82
NB, OH(AgAgClX, HOCl)	2000	600	6.62
NB, OH(Agagona, 220 m)		700 800	13.39
		900	20.01
	1000	1000	27.26
		600	0.98
			3.87
		700 800	7.70
		900	11.56
	2000	1000	16.09
			0.22
TOTAL OTTAL AND CITY HOCI)		600	0.80
MH, OH(AgAgClX, HOCl)		700	1.58
		800	2.31
		900	3.11
	1000	1000	0.10
		600	0.37
		700	0.72
		800	1.04
		900	1.41
		1000	1.41

## APPLICATIONS AND CONCLUSIONS

To test the usefulness of the HCl buffer for the study of mineral-solution equilibria, we have investigated the stability of talc and quartz in MgCl<sub>2</sub>–HCl–H<sub>2</sub>O solutions, according to

$$\frac{1/3 \text{ Mg}_3 \text{Si}_4 \text{O}_{10}(\text{OH})_2 + 2 \text{HCl}_{(\text{aq})} \rightleftharpoons 4/3 \text{ SiO}_2 + \text{MgCl}_{2 \text{ (aq)}} + 4/3 \text{ H}_2\text{O}}{\text{quartz}}$$
sing H<sub>2</sub>O or 2N MgCl (16)

Using  $H_2O$  or 2N MgCl<sub>2</sub> as initial solutions, together with a mixture of synthetic talc and natural quartz, experiments were run at 2000 bars between 477° and 727°C. Total magnesium concentration was measured upon quenching. Values for  $m_{Mg(total)}/(m_{HCl^\circ(ex)})^2$ , using the values of table 4, are shown in figure 11. Reversibility was achieved within narrow limits for one-week runs, demonstrating that the HCl buffer can be used to study mineral equilibria. Details of the experiments on talc-quartz, as well as applications to other equilibria can be found in Frantz (ms) and Gunter (ms).

The f<sub>HCI</sub> range imposed by the HCl buffer described in this paper is probably much higher than that of most igneous and metamorphic solutions. For the experimental determination of mineral equilibria, and hence the measurement of thermodynamic constants, this is irrelevant. Some minerals, however, are not stable in acid solutions, and for their study less acid buffers must be developed. Such buffers may involve acids other than HCl, such as HF, H<sub>2</sub>SO<sub>4</sub>. For studying mineral equi-

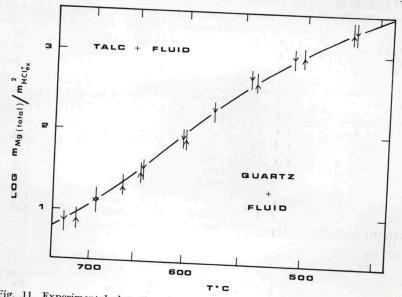


Fig. 11. Experimental data for the talc-quartz equilibrium taken from Frantz (ms). Each symbol is an individual experiment; the bar length represents the combined error of Mg measurement and buffer calibration, and the arrow indicates the direction from which equilibrium was approached.